

# Social Costs of Oligopoly and the Value of Competition

Robert T. Masson; Joseph Shaanan

The Economic Journal, Volume 94, Issue 375 (Sep., 1984), 520-535.

Stable URL:

http://links.jstor.org/sici?sici=0013-0133%28198409%2994%3A375%3C520%3ASCOOAT%3E2.0.CO%3B2-A

Your use of the JSTOR archive indicates your acceptance of JSTOR's Terms and Conditions of Use, available at http://www.jstor.org/about/terms.html. JSTOR's Terms and Conditions of Use provides, in part, that unless you have obtained prior permission, you may not download an entire issue of a journal or multiple copies of articles, and you may use content in the JSTOR archive only for your personal, non-commercial use.

Each copy of any part of a JSTOR transmission must contain the same copyright notice that appears on the screen or printed page of such transmission.

The Economic Journal is published by Royal Economic Society. Please contact the publisher for further permissions regarding the use of this work. Publisher contact information may be obtained at http://www.jstor.org/journals/res.html.

The Economic Journal ©1984 Royal Economic Society

JSTOR and the JSTOR logo are trademarks of JSTOR, and are Registered in the U.S. Patent and Trademark Office. For more information on JSTOR contact jstor-info@umich.edu.

©2003 JSTOR

# SOCIAL COSTS OF OLIGOPOLY AND THE VALUE OF COMPETITION\*

Robert T. Masson and Joseph Shaanan\*

In this study we present a new methodology for estimating welfare losses caused by market power. We depart from past studies by explicitly taking into account different levels of market power. We provide estimates of: (a) actual social costs arising from existing market structures and (b) expected monopoly social costs that would occur if there were no competition – actual or potential. The difference between actual and monopoly welfare losses represents the value of competition in existing markets. We further estimate the separate contributions of actual and potential competition to this value.

Our methodology is based upon an empirical model of oligopoly behaviour and limit pricing. From this model we estimate the markup which would occur were there no competition. We use this markup in turn to estimate industry demand elasticity at the monopoly price. With this elasticity and the assumption of linear demand we can characterise demand, cost, and welfare conditions at each equilibrium: monopoly, actual, and competitive.

With this new methodology and some other modifications of earlier techniques we provide not only new estimates of welfare losses, but also estimates of the value of competition under existing conditions. We find that the actual deadweight loss triangle averages 2.9% of value of shipments for a sample of 37 industries. We also estimate that were these industries to maximise joint profits with no threat of entry, the welfare loss would be 11.6%. The difference, 8.7%, we attribute to the beneficial effects of potential competition (4.9%) and actual competition (3.8%). Our monopoly benchmark thus yields additional understanding of the value of competition.

We cannot represent our study as having solved all of the problems associated with social cost estimation of monopoly power. Indeed, given general equilibrium problems associated with horizontal, vertical, and cross-industry aggregation interacting with the 'second best' problem, we doubt that all the problems can be solved, although we can point out some of the potentials for bias. After presenting our estimates we discuss the implications of sampling methodology and aggregation problems, demonstrating that potentially strong, but possibly offsetting, biases exist in all studies, including ours.

## I. INDUSTRY OR FIRM ELASTICITIES

One key difference in our approach concerns the way we measure demand elasticity. Most social cost studies have simply assumed a uniform demand elasticity for all industries, and additionally made the assumption that the

<sup>\*</sup> We are grateful to P. Geroski, R. Moomaw and F. M. Scherer for helpful comments.

appropriate competitive benchmark was the average manufacturing firm (e.g. Harberger, 1954; Schwartzman, 1960; Bell, 1968; Worcester, 1973; Siegfried and Tiemann, 1974). The shortcomings of this approach are now well known (see Needham, 1978, and Scherer, 1980). Two later studies followed a different approach based upon a price-cost-margin (*PCM*) or Lerner index (Kamerschen, 1966, and Cowling and Mueller, 1978).

If  $PCM \equiv (P-AC)/P$  and  $AC \simeq MC$ , then the profit-maximising firm sets  $PCM = I/\eta$  where  $\eta$  is the elasticity of demand faced by that firm. Kamerschen looked at industry PCMs and derived industry demand elasticities using this formula. If industries have prices below the joint profit maximising level then this method overstates industry demand elasticity (and industry deadweight loss). Cowling and Mueller also use the PCM formula, but they use it to estimate the elasticity of demand as perceived by individual firms. Using a firm by firm approach they can adapt to the heterogeneity of firms within industries. They note, of course, that there are difficulties which arise in aggregating welfare costs across firms.

Cowling and Mueller present a compelling argument that firm heterogeneity should be explicitly modelled and welfare calculated at this level. We on the other hand believe that an industry demand approach is more useful despite the costs of losing individual firm differences. Most competition policy both in the United Kingdom and the United States is oriented more towards achieving workable competition than breaking up any individual firm or forcing it to price at marginal cost. The industry approach is more suitable for dealing with the former task, while Cowling and Mueller's methodology may be more appropriate for the latter task. Their measure, as they note, cannot simply be summed across firms to obtain an industry measure. The reason for this relates to the role of oligopolistic conjectures. Their welfare derivation for a firm is predicated upon 'an assumption of perfect competition elsewhere'. Specifically, if a dominant firm maximises profits while all others are 'fringe' competitors and act as price takers, then the firm's (residual) demand curve can be used to obtain the marginal social value of an additional unit of output. For example, one may calculate the partial equilibrium social gains of output expansion by the area between firm demand and firm marginal costs if all other firms in that industry and elsewhere are perfectly competitive. In this case, the firm and industry demand approaches yield identical welfare results, although the area under a firm demand curve represents a hybrid of changes in fringe firm producer surplus along with consumer surplus. For an oligopoly the problem is more complex. Consider a Cournot (zero marginal cost) mineral spring with linear demand. If price is zero at output OA, then each firm in longrun equilibrium produces OA/(n+1). The firm PCM approach would measure the area under the demand curve between (OA)n/(n+1) and OA as social costs for each firm. Accordingly, the sum of measured welfare losses of the n firms will incorrectly equal n times the welfare loss in the industry. The problems are more complex and the aggregation biases potentially larger when we move from the Cournot assumption.

For these reasons we prefer using an industry approach to welfare estimation.

To avoid the problems that arise in using the *PCM* formula for industry demand elasticity when prices are below the jointly maximising level we first estimate the joint maximising level of *PCM* and start the analysis from there.

#### II. ESTIMATION OF MONOPOLY PCMS

Traditional microeconomic theory predicts that excess profits serve as a signal for entry of new firms. The literature on limit pricing suggests that incumbent firms may exploit this signal to retard or forestall entry. The limit pricing models by Kamien and Schwartz (1971) and Baron (1973) are based upon dynamic maximisation with stochastic entry. These models suggest a simultaneity between entry rates and profit rates. In Masson and Shaanan (1982) we derived a simultaneous equations approach for testing the limit pricing hypothesis. Using this approach, we estimated previously unobserved entryforestalling profit levels, optimal limit-pricing profit levels and monopoly profit levels as functions of industry structure and growth. We currently adopt the same general approach, but with *PCMs* in place of profit rates on equity. From this we can estimate a monopoly *PCM* from which we may derive monopoly demand elasticities and, by assuming linearity, derive the demand curve.

The methodology used in estimation is explained in detail in our earlier paper (1982) so we provide here only a summary. The only substantive changes are the use of *PCM* as a profit variable (leading to somewhat weaker statistical results) and the use of OLS regression rather than Tobit (the results were not very sensitive to this change).

# (A) Methodology

We assume that incumbent firms take potential entry into account in their pricing decisions and that potential entrants respond to PCM (price) levels. If firms attempt to deter entry by limit pricing, PCMs will reflect this. The testing model has two separate equations, one for incumbent firms and the other for potential entrant firms.

Specifically, for any industry our two primary equations are

$$PCM_{t-1}^a = PCM^a(G_{t-1}, B_s, B_k, B_a, C_{t-1}),$$
 (1)

$$E_t = E(PCM_{t-1}^a, G_{t-1}, B_s, B_k, B_a), \tag{2}$$

where

 $E_t$  is the cumulative market share of entrants into the industry at the end of period t,

 $PCM_{t-1}^a$  is the 'actual' price-cost margin in the industry in period t-1,

 $C_{t-1}$  is the industry 4 firm concentration ratio in period t-1,

 $G_{t-1}$  is the industry growth in period t-1,

 $B_s$  is the industry economies-of-scale entry barrier,

 $B_k$  is the industry capital-cost entry barrier (cost of a plant of minimum efficient scale in millions of dollars),

 $B_a$  is the industry advertising-induced product differentiation entry barrier.

(i) The Entry Equation. For testing, we need to solve for the nonobservable entry-forestalling PCM. The entry-forestalling price, following Bain, is the highest price attainable without attracting entry. Similarly, there will be an entry-forestalling PCM, noted as  $PCM_{t-1}^f$ . Although  $PCM_{t-1}^f$  cannot be directly observed, it can be derived from the entry equation as the solution to the implicit function:

$$o = E(PCM_{t-1}^f, G_{t-1}, B_s, B_k, B_a).$$
(3)

For simplicity of exposition only the linear model is presented. It is assumed that entry is a positive function of the amount by which actual *PCM*s exceed the entry-forestalling *PCM*:

$$E_t = c(PCM_{t-1}^a - PCM_{t-1}^f) \tag{4}$$

and

$$PCM_{t-1}^f = a_0 + a_1 G_{t-1} + a_2 B_s + a_3 B_k + a_4 B_a, (5)$$

thus

$$E_t = -ca_0 + cPCM_{t-1}^a - ca_1G_{t-1} - ca_2B_s - ca_3B_k - ca_4B_a.$$
 (6)

This equation is recursively identified (given a condition on error terms), and can be estimated by ordinary least squares. The coefficient c should be positive if expected post-entry profits are a positive function of pre-entry profits. Once the entry equation is estimated, the estimated  $PCM^f$  function can be derived by setting E = 0 and solving for  $PCM^f$ . PCM should be a rising function of the cost of entry, so it is expected that  $a_2$ ,  $a_3$  and  $a_4 > 0$ . The sign of  $a_1$ , the effect of growth, is less clear a priori, depending mainly upon potential entrants' conjectures of incumbents' reactions to entry. (For a complete discussion, see our earlier paper.) We hypothesise that  $a_1 < 0$ .

(ii) The PCM Equation. The incumbent firms' PCMs are affected by two forces: what they would charge to maximise joint value given the threat of potential competition, and what they can charge given the existing state of competition. We look first at joint maximisation.  $PCM^o$  is defined as the level of PCM chosen by incumbents when they choose a jointly optimal limit price considering the threat of entry. The recent stochastic-dynamic pricing literature generally predicts  $PCM^o > PCM^f$ .

Fig. 1 depicts a relationship close to those predicted by Kamien and Schwartz or Baron in their stochastic-dynamic models. Intuitively,  $PCM^o > PCM^f$  follows from assuming that the probability of entry rises smoothly from zero as the incumbents' PCMs rise above  $PCM^f$ . Then as PCMs are raised by a small finite amount above  $PCM^f$ , the expected costs of entry rise by an infinitesimal amount whereas profits generally rise by a finite amount. Hence, incumbents never absolutely forestall entry when barriers are below the 'blcckaded level', or  $B^b$  in Fig. 1. At the blockaded level of barrier,  $PCM^f = PCM^o$  at the monopoly level  $PCM^m$ . These models predict that  $PCM^o$  converges to  $PCM^m$  with a positive slope (although  $PCM^o$  need not be monotonically rising).

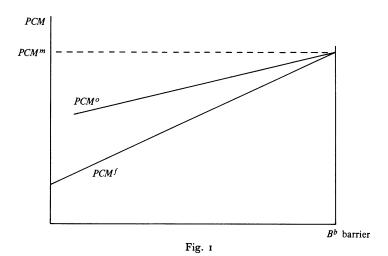
Our estimation is based on the assumption that the shape of  $PCM^o$  is that implied by a linear version of this model (we support this in our earlier paper). This is

$$PCM_{\tau}^{o} = b_{0} + b_{1} G_{\tau} + b_{2} B_{s} + b_{3} B_{k} + b_{4} B_{a}. \tag{7}$$

Since  $PCM^o$  must converge on  $PCM^f$  from above as barriers increase, the vertical intercept of  $PCM^o$  must be greater than that for  $PCM^f$ , but its slope must be less. This may be written:

$$a_0 - b_0 < 0$$
;  $a_2 - b_2 > 0$ ;  $a_3 - b_3 > 0$ ; and  $a_4 - b_4 > 0$ .

 $(b_1 \text{ cannot be signed without strong assumption about } a_1.)$ 



We shall assume that  $PCM^a$  will be determined by what  $PCM^o$  would be if it were attainable and by the ability of incumbents to act jointly to attain  $PCM^o$ . We assume that the ability to arrive at  $PCM^o$  is a positive linear function of concentration,  $C_{\tau}$ . By further assuming that  $PCM^o$  will be reached only when concentration reaches 100%, we are able to estimate the unobservable  $PCM^o$ . By assuming

$$PCM_{\tau}^{a} = PCM_{\tau}^{o} + b_{5} (C_{\tau} - 100), \text{ where } b_{5} > 0,$$
 (8)

we may combine with (7) to arrive at

$$PCM_{\tau}^{a} = b_{0}' + b_{1}G_{\tau} + b_{2}B_{s} + b_{3}B_{k} + b_{4}B_{a} + b_{5}C_{\tau}, \tag{9}$$

where  $b_0' = b_0 - 100 b_5$ .

Given conditions on the error terms, this will be recursively identified and estimated using ordinary least squares. (For a complete discussion on simultaneity and identification see our earlier paper.)

The model's predictions can be summarised as:

(a) 
$$a_0 - b_0 < 0$$
, (b)  $a_1 < 0$ , (c)  $a_i - b_i > 0$  (i = 2, 3, 4), (d)  $b_5 > 0$ .

## (B) Estimation

The estimates were based upon US data from Harris (1973), and adjusted concentration ratios from Shepherd (1970). Where necessary, revisions were made using census data. We employ 4-digit SIC data on 37 manufacturing industries for 1950-66. This is a pre-entry period, t-1, of approximately 1950-7; an

entry-initiation period, t, of approximately 1958–62; and an entry-completion period of 1962–6.

All the data except for the *PCM* were described in our earlier paper. From our *PCM* data we subtract more costs (e.g. advertising and depreciation) than to arrive at *PCM*, the traditional measure, because entry should respond to excess profits, not price above variable costs. See the appendix for details.

In Table 1 we present the regression results, *PCM* and growth induced entry, while economies of scale and advertising served as barriers to entry. The capital requirements barrier has the correct sign but is insignificant. In the *PCM* 

Table I

The estimating equations (coefficients and t statistics)

Dependent variable	Constant	$C_{t-1}$	$G_{t-1}$	$B_s$	$B_k$	$B_a$	$PCM_{t-1}$	$R^2$
$E_t$	0·31 (0·2)	n.a.	3·45* (1·43)	-0·279† (1·75)	-0.006 (0.66)	-0·253* (1·64)	o·157† (1·88)	0.25
$PCM_{t-1}$	-2·59 (0·59)	o·183† (3·23)	0·905† (2·14)	0·30 (1·02)	(1.09) -0.010	0·815† (3·24)	n.a.	0.22

<sup>\*</sup> Significant at the 10% level.

Table 2

The coefficients of PCM<sup>f</sup>, PCM<sup>o</sup> and (PCM<sup>f</sup> – PCM<sup>o</sup>)

Dependent variable	Constant	$G_{t-1}$	$B_s$	$B_k$	$B_a$
$PCM^f$	- 1.974	-2.194*	1.788†	0.0396	1.611*
PCM°	15·67†	0·905†	0·30	(1·06)	0·815†
	(4·90)	(2·14)	(1·02)	-0·019	(3·24)
PCM <sup>f</sup> -PCM°	- 17·644*	-3·099*	1·478	o·o59	o·796
	(1·645)	(1·37)	(1·13)	(o·88)	(o·799)

<sup>\*</sup> Significant at the 10% level.

equation, concentration and growth enhanced the PCM, as did the economies of scale and advertising barriers. Once again, capital requirements are insignificant, now with the wrong sign. Accordingly, we examined the sensitivity of our welfare estimates to  $B_k$  and report these results below.

In Table 2 the  $PCM^f$  estimates are presented as well as levels of significance based on a Zerbe (1978) test for ratios. Economies of scale and advertising are significant. The  $PCM^o$  equation is also presented and, by construction, growth and barriers have identical effects as in the  $PCM^a$  equation above. As predicted, the intercept of  $PCM^o$  is significantly above that of  $PCM^f$ . The three entry-barrier coefficients of  $PCM^f$  are also all larger than the corresponding variables of  $PCM^o$ , although not significantly.

We can now derive  $PCM^m$ , the monopoly PCM which would be selected by a joint profit-maximising oligopoly facing no threat of potential entry. To

<sup>†</sup> Significant at the 5% level.

n.a. Not applicable.

<sup>†</sup> Significant at the 5% level.

obtain  $PCM^m$  we set  $PCM^o = PCM^f$  for each industry and solve for the price cost margin corresponding to the intersection of these t vo functions at  $B^b$ , as shown in Fig. 1. With these estimates we turn to the social cost modelling.

## III. SOCIAL COST ESTIMATION

We assume that joint profit-maximising firms would face an objective function of

$$\Pi(Q, A) = [P(Q, A) - m] Q - A,$$
 (10)

where  $\Pi$  is industry profits, Q is industry quantity, A is industry expenditure on advertising which shifts the demand curve, and m is industry marginal cost. Solving the first order conditions gives

$$\eta_m = I/[(P_m - m)/P_m] 
= I/PCM_m.$$
(II)

The monopoly elasticity,  $\eta_m$ , is a function of the margin of the monopoly price above marginal production costs,  $PCM_m$ . The entry and limit-pricing results in the last section were based upon the margin of price above average total costs  $PCM^m$ . Notationally, superscripts will denote PCM markups over total costs and subscripts will denote PCM markups over production costs.

We use the following conventions. We assume that average and marginal production costs are constant at level m as implied by equation (10). We also assume that the endogenously determined level of advertising costs, A, happens to yield a constant per unit advertising cost of a = A/Q. This in effect assumes that advertising per unit is endogenously solved for, but invariant to the level of competition.<sup>1</sup> (Later we assume that a falls as markets become more competitive.) Then average total costs are m+a, so

$$(P_m - m - a)/P_m = PCM^m < PCM_m = (P_m - m)/P_m.$$
 (12)

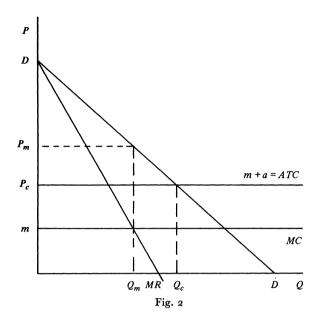
We assume that the same advertising per unit occurs in all market structures of any industry. So strictly speaking our competitive benchmark is one of 'workable competition' in which entry drives profits to zero, but price exceeds marginal production costs. This is expressed graphically in Fig. 2.

The industry demand curve, DD, is assumed to be constant, regardless of market structure. Strictly speaking, the constant demand assumption is inconsistent with profit maximisation and a constant per unit advertising cost unless the relationships are endogenous, and the form of the endogeneity is given more structure.<sup>2</sup>

Our task is to derive (indices for) the necessary prices, quantities, and costs,  $P_m$ ,  $Q_m$ ,  $P_c = m + a$ ,  $Q_c$ , m, a,  $P_a$ , and  $Q_a$ , where  $P_a$  and  $Q_a$  are actual price and

<sup>2</sup> Clearly  $\delta P/\delta A = 0$  is inconsistent with the first order conditions of (10) for A > 0. With non-price competition firm  $\delta P/\delta A$  may be positive while industry  $\delta P/\delta A$  is zero. As market structures change a might rise or fall and so might demand. We allow for some other effects later.

<sup>&</sup>lt;sup>1</sup> Clearly, from any oligopoly starting point, a could rise or fall as the industry is made atomisitic. It would fall if a reflected non-price competition or expenditures on entry deterrence. It might rise if advertising were purely informative and increasing firm numbers made the consumers' search process more complex. It might also rise locally if a very tight oligopoly, which had suppressed advertising competition, became somewhat looser and channelled competition into non-price competition.



quantity. As we continue, we also define  $\eta_a$ , the elasticity of demand at the actual price in addition to  $\eta_m$ ; and  $W_m$  and  $W_a$ , the welfare losses at these two prices.

# (A) Deriving Values

and

To obtain estimates of deadweight loss, we use the formula  $W = |\Delta Q|\Delta P/2$  where deviations are from zero profit equilibrium. This formula can be used for any hypothetical welfare loss (e.g. monopoly or actual) as long as price and quantity are those pertaining to the case under examination.

The data set includes values of PCM (the actual margin over average total cost) for each industry. In Section II we demonstrated our method of derivation for  $PCM^m$ , the joint maximising margin over average total costs. Conversion to price units depends upon quantity units. We use an index of  $P_m \equiv 1$ .

Starting with  $P_c \equiv m + a \equiv ATC$ ,  $P_m \equiv 1$ , and  $PCM^m \equiv (P_m - ATC)/P_m$ , several unknowns as functions of raw data or calculated values may be solved for sequentially as:

$$P_c = I - PCM^m, (13)$$

$$P_a = P_c/(1 - PCM^a), (14)$$

$$Q_a \equiv VS/P_a$$
, where VS is value of shipments, (15)

$$a \equiv A/Q_a,$$
 (16)

$$PCM_m = PCM^m + a, (17)$$

$$m = I - PCM_m, (18)$$

$$\eta_m = I/(PCM_m). \tag{19}$$

For linear demand, elasticity is the ratio of the length of the demand curve below a price to its length above the price. Defining the vertical intercept of the demand curve as D, and projecting to the vertical axis, we have  $\eta_m = 1/(D-1)$  (as  $P_m \equiv 1$ ) and we can solve sequentially

$$D = (\mathbf{I} + \eta_m)/\eta_m, \tag{20}$$

and

$$\eta_a = P_a/(D - P_a). \tag{21}$$

Following the same procedure, but projecting to the horizontal axis, we similarly derive sequentially

$$Q_m/Q_i = (D - P_m)/(D - P_i) \quad (i = a, c), \tag{22}$$

$$Q_m = [(D - P_m)/(D - P_a)] Q_a, (23)$$

$$Q_c = [(D - P_c)/(D - P_m)] Q_m, (24)$$

$$W_a = (P_a - P_c) (Q_c - Q_a)/2, (25)$$

and

$$W_m = (P_m - P_c) (Q_c - Q_m)/2. (26)$$

We follow parallel procedures to find  $W_0$ , the welfare loss associated with suppressing actual competition, but with firms setting their optimal limit prices given the threat of potential entry.

With the relationships outlined above, we can calculate welfare losses for the 37 industries for which we estimated  $PCM^m$  in Section II.

## (B) Welfare Estimates

In Table 3 we present the estimates for the 37 industries in our sample. The first two columns are based upon the actual PCMs observed for each industry. The implied demand elasticity,  $\eta_a$ , is presented first<sup>1</sup> and then the actual welfare loss as a percent of industry value of shipments,  $W_a$ .<sup>2</sup> The next two columns present the 'monopoly' values of elasticity,  $\eta_m$ , and welfare loss,  $W_m$ , based upon our estimates of the PCM which would have evolved were the industry jointly maximising and facing no entry threat. The final two columns are, for comparison, estimates for this data set using elasticity estimates based upon assuming  $\eta_{cm} = 1/PCM_a$ . This estimate represents a Cowling and Mueller<sup>3</sup> estimate for each industry's 'typical firm' which has the industry average level of  $PCM_a$ .

The weighted average welfare loss for our sample is 2.9% of value of shipments for these industries at their actual prices. We further estimate that if all of these same industries were maximising joint profits and, additionally, were not facing potential entry, their welfare losses would rise to an average of

<sup>&</sup>lt;sup>1</sup> If consumers react to price changes with lags, then present value maximisation conditions determine a price such that the implied elasticity is between the shortrun and longrun demand elasticities.

<sup>&</sup>lt;sup>2</sup> These are flow costs of a system which is, by hypothesis, not in a steady state if  $PCM^a > PCM^f$ . If the economy ceased experiencing technological change and exogenous shocks, the present values of welfare losses could rise above or fall below the present value of the current flow costs evaluated over an infinite horizon. For example, cost may rise (if firms with higher costs enter) or fall (if entry of equally efficient firms occurs, reducing concentration and prices).

<sup>&</sup>lt;sup>3</sup> Cowling and Mueller (1981) believe that their most accurate measurements are based upon the welfare triangle between production costs, m, and demand. Thus, even if we had the same elasticities, their  $\Delta Q$  and W would be greater.

Table 3

Demand elasticities and welfare losses in 37 industries

	Estimates at $P_a$		Estimates at $P_m$		Estimates using C & M methods	
Industry name	Industry $\eta_a$	$W_a$ (% of $VS_a$ )	Industry $\eta_m$	$W_m$ (% of $VS_m$ )	Typical firm* $\eta_{cm}$	$W_{cm}$ (% of $VS_a$ )
Meat packing	1.23	0.02	3.27	14.86	34.89	1.73
Canned fruit and vegetables	1.25	1.23	2.72	16-29	7.15	8·4o
Flour	1.47	0.45	3.34	13.69	12.73	4.78
Cereal preparations	1.24	5.26	2.28	13.83	ვ∙86	18.09
Wet corn milling	3.61	9·16	3.95	11.14	4.44	12.11
Bread	1.91	1.72	3.43	12.05	7.47	8.24
Biscuits	1.80	6.06	2.68	16.00	3∙86	14.21
Cane-sugar refining	2.32	1.11	4.43	11.11	10.59	4.96
Chewing gum	2.15	10.13	2.42	13.67	3.24	19.44
Beer	1.05	0.91	2.25	15.14	7·50	11.97
Distilled liquor	1.96	5.92	2.62	12.54	4.07	16.23
Bottled soft drinks	0.92	ი∙6ი	2.31	17.62	8·78	8.79
Cigarettes	1.69	7.36	2.51	14.02	3.39	19.98
Greeting cards	2.32	4.85	3.49	13.85	4.92	10.41
Alkalies and chlorine	2.37	2.71	3.88	12.02	6.61	8.06
Rayon	5.76	13.38	4·80	8.84	4.64	11.57
Pharmaceutical preparations	1.14	7.66	1.74	19.07	2.73	24.59
Soap and other detergents	0.75	1.62	1.40	17.97	4.82	19.72
Perfumes	0.44	3.13	1.34	29.53	2.66	26.41
Petroleum refining	2.79	o·55	5.26	8.41	15.96	3.78
Tyres and inner tubes	1.80	2.22	3.18	13.20	6.36	9.41
Footwear, except rubber	1.02	1.04	2.23	18.65	7.11	7.83
Flat glass	1.88	2.30	3.35	13.62	6.38	8.63
Glass containers	1.59	3.26	2.84	16.22	4.94	10.98
Cement, hydraulic	1.58	5.63	2.31	17.36	3.75	14.89
Gypsum products	1.73	7·8 <sub>5</sub>	2.40	16.60	3.32	17.55
Blast furnaces and steel mills	6.40	6.11	6.55	6.48	7 <sup>.2</sup> 4 11·81	7.51
Primary copper	2.06	0.74	4.12	11.47		4.58
Primary zinc	2.12	0.02	5.03	9.38	69.53	1·07 10·30
Primary aluminium	2.36	4.69	3.2	13.56	5·02 7·88	_ ~
Metal cans	1.83	1.48	3.57	13.67	6·65	6.54
Farm machinery	1.67	1.89	3.10	13.68		9.07
Typewriters	2.87	10.63	3.24	13.94	3.67	14·41 6·99
Radio and TV receiving sets		0.24	2·27	20.65	8.49	6·42
Cars	4.57	3.42	6.02	7.74	8.17	-
Photographic equipment Watches and clocks	1·58 1·27	4·58 0·21	2·65 2·96	17·20 12·94	4·15 17·49	13·04 5·66
	12/		2 90		• / 49	7·8%
Weighted average		2.9%		11.6%		7.0%

<sup>\*</sup> If there are no firms with negative profits, then the welfare loss as a percentage of value of shipments of these 'typical firms' is identical to an industry welfare loss percentage computed as the average of each firm's losses weighted by value of shipments, i.e.  $[\Sigma(\pi_i + A_i)]/2 = [\Sigma(\pi_i + A_i)/2VS_i] VS_i$ . Of course, Cowling and Mueller warn against aggregation.

 $11\cdot6\%$  of their value of shipments. If we re-specify the empirical model to drop the  $B_k$  measure (which had a perverse sign in one equation), estimated elasticities generally fall:  $W_a$  falls to  $1\cdot7\%$ , and  $W_m$  rises to  $15\cdot8\%$ . Although not included in the table, we also calculated the average  $W_0$  (based on  $PCM^0$ ) as a percentage of sales. This was  $6\cdot7\%$ , meaning that if actual competition were suppressed (e.g. through collusion) but the firms still faced the threat of entry, then an optimal limit price given the threat of potential entry would yield these costs.

Although our techniques are not strictly comparable, it is interesting to compare our industry results with those of a Cowling and Mueller representative firm. As expected, their firm level implied demand elasticities are far higher than our industry demand elasticities. Similarly, their welfare estimates as a percentage of value of shipments exceed ours. If we recall that even for a symmetric oligopoly one cannot sum the Cowling and Mueller firm estimates to arrive at industry estimates, their results are not necessarily inconsistent with ours. We think our results give a better gauge of the magnitude of the potential gains from establishing workable competition; theirs are more applicable to computing the gain from breaking up a single firm or forcing it to set its price at marginal production costs.

We do not claim that our estimates are precise; in fact we devote Section D to a discussion of potential biases. However, we find, for example, that the elasticities implied by our approach often appear to be reasonable<sup>3</sup> and in our view the methodology employed is a good one if the object is to estimate welfare losses based upon endogenously derived elasticities. Additionally, we consider that additional insight is available from the contrasts between the actual and monopoly estimates. The monopoly estimates are not only interesting in their own right, but the differences between them and the actual estimates can also be interpreted as a measure of the social benefits accruing from competition (actual and potential) in these industries.

The social value of competition, actual plus potential, competition, is estimated as 8.7% (the difference between  $W_m$  and  $W_a$ ). Potential competition, even without actual competition, yields a social gain of 4.9% ( $W_m - W_0$ ).

<sup>&</sup>lt;sup>1</sup> Since fixed depreciable assets are used to adjust *PCM*, we also tried an approximation technique for calculating total assets. The results, from this adjustment, point to small changes in the welfare estimates (See the appendix for details).

<sup>&</sup>lt;sup>2</sup> Only a few elasticities change by very much. Showing the pairs of elasticities estimated with and without  $B_k$  in the model, the larger changes are: Meat packing (1·23, 0·86); beer (1·02, 0·81); perfumes (0·44, 0·24); petroleum refining (2·79, 1·11); cement (1·58, 1·02); steel (6·40, 2·08); aluminium (2·36, 1·92); and cars (4·57, 1·92). The largest shifts are in industries with high values of  $B_k$  (steel and cars). Most of the elasticities appear more reasonable when  $B_k$  is deleted (e.g. Comanor and Wilson (1967) estimate short-run and long-run elasticities for meat packing of (0·36, 0·36); beer (0·56, 1·39), and perfumes (0·24, 0·29).

<sup>&</sup>lt;sup>3</sup> Many of our reported elasticities appear to be quite reasonable, others do not. The estimating technique is better for giving average tendencies than individual industry elasticities.

## (C) Monopoly Power and Socially Wasteful Expenditures

Finally, without detailed analysis, we present one additional set of welfare loss estimates. As argued by Posner (1975), firms spend resources to gain and maintain market power, and consumers and others expend resources to avoid the effects of market power. One convention, extending a conjecture of Posner's, is to include in social costs the sum of profits and advertising. Advertising may be designed to protect incumbent firms' market power rather than providing useful information to consumers. It part, profits earned by monopolists reflect only the profits of successful monopolists. If there is competition amongst entrepreneurs to gain monopoly power, then a competitive entrepreneurial equilibrium evolves when the losses from unsuccessful attempts for market power are equal to the gains from successful attempts; expected profit is zero. Hence for any profits observed for 'winners' there must, on average, be losses by some losers not measured in the sample. An additional claim is that consumers and others spend resources to avoid monopoly power, so to the extent that on average entrepreneurial competition does not drive expected profits to zero, these other costs drive social costs up to the full level of monopoly profits.

Three features of this concept of the social costs of securing market power should be mentioned. Posner notes that these costs are not potentially cancelled out by general equilibrium second-best factors, whereas deadweight loss triangle costs may be cancelled out across industries as suggested by familiar arguments involving the second best. Stated simply, social resources expended to produce market protection are diverted from the production possibilities frontier for all final goods with social value in consumption. As such they cannot cancel, and are a robust social cost even in a general equilibrium world.

The two other points concern the dangers inherent in adopting this measure: (a) the magnitudes of loss are arbitrarily assumed, and (b) in dynamic competition some expenditures for securing market power may entail social gains. Certainly, some advertising is socially beneficial and some profits reflect scarcity rents which are not wasteful. It is unclear what proportion of profits or advertising should be used for measuring social costs. Further, some expenditure on monopoly enhancement is socially beneficial in a dynamic world. Under the patent system, for example, R & D expenditures made to achieve patent protection result in the development of new and useful inventions, thus providing social benefits. Similarly, expenditures on maintaining goodwill through maintaining product quality (and maintaining market power) are at least partly beneficial. Further, advertising may be informative, shifting demand and leading to social gains. In dynamic competition many of these costs may have partially or fully offsetting welfare gains.

Cowling and Mueller are the only previous authors to provide estimates based upon this theory and estimating technique. Their estimates demonstrate the additional costs involved if 'all advertising' or 'all advertising plus profits' reflect social costs. We present a slightly finer grid, letting the reader select different percentages measuring the contribution of these two potential elements for social cost estimation.

Our technique for profits is simply to add to social costs some percentage of calculated profits. For advertising the hypothetical case is more complex. If all advertising is caused by monopoly, then the workably competitive price,  $P_c$ , would fall to marginal production costs, m, were the industry to be made workably competitive. If, however, only a proportion of advertising,  $\alpha$ , is caused by monopoly, then the workably competitive price should be  $P_c = m + (1 - \alpha) a$ . By looking at the relationship for advertising we can also examine the sensitivity of our results to our previous assumption that the advertising rate would be constant so  $P_c = m + a$ .

Table 4
Social Costs Including Some Costs of Securing Market Power

	Total social costs if social costs are reflected by adding a fraction of:										
	No. additional cost of securing market power	Profits only (% social cost)			Advertising only (% social cost)			Profits plus advertising (% social cost			
		25%	50%	100%	25%	50%	100%	25%	50%	100%	
$W_a^*$ $W_m^*$	2·9% 11·6%	6% 18%	9 % 24 %	ι6% 37%	4% 13%	5% 14%	6% 16%	7% 19%	11% 26%	19% 41%	

In Table 4 we present estimates of the weighted average of social cost  $W_a$  and  $W_m$  based upon assuming some fraction of profits, advertising, or profits plus advertising to be socially costly. Given the *ad hoc* nature of such estimates we leave the interpretation to the reader.

## (D) Potential Biases

There are many possible sources of bias inherent in any social cost estimation, especially for aggregate estimates (Littlechild, 1981, discusses several of these elements of bias). We note here only a few potentially important sources of bias, over and beyond those which may be associated with using the limit-pricing hypothesis which is not universally accepted.

(i) Sample Bias. Our sample of 37 industries consists primarily of national industries with a high average four-firm concentration ratio of 68 %. It would be risky to project our average results to all manufacturing industries, much less to services, retailing (small town, large town, or aggregate), etc.

In particular, it is worth noting that welfare loss for our sample based upon the Cowling and Mueller measure is  $W_{em} = 7.8 \%$ , whereas when they use a broad-based sample of manufacturing firms, they attained a comparably calculated value of 2.3 %. Our measure of  $W_{cm}$  is three times larger. This may reflect numerous factors including the sample industries, differing sample years, and differing data (especially the use of plant PCM data rather than firm profit data).

<sup>&</sup>lt;sup>1</sup> They do not report this figure. They report 6.5%, a value adjusted for vertical effects by multiplying 2.3 by a factor of 2.8. We explain below why we do not use this approach.

- (ii) Measurement of  $PCM^m$ . Our  $PCM^m$  is based upon an estimate which is sensitive to slope coefficients on entry barrier terms and to the assumption that industries with four-firm concentration of 100 will achieve the joint profit-maximising level of profits. This estimate clearly affects  $W_m$ , and in turn through elasticity affects  $W_a$ . If firms in an industry with this level of concentration are unable to achieve a maximising  $PCM^m$ , then  $W_m$  is biased down and  $W_a$  is biased up. Biases due to slope coefficients on the barriers terms could be in either direction.
- (iii) Horizontal Aggregation. Cowling and Mueller correctly point out that welfare estimates are biased downward by aggregation of profit data to the industry level. If two identical firms, one Eastern and one Western, sold at different markups in the East and West, then a welfare triangle based on national sales and the average price would be smaller than the true sum of two triangles (because of the quadratic relation between social cost and margin). Another bias results if some firms with higher costs survive under a monopoly umbrella. Welfare triangles should be based upon efficient firm costs, and the costs stemming from inefficiency in production should be added to the measure of socially wasteful expenditures.
- (iv) Cross-Industry Aggregation. This aggregation generally presents the opposite bias to the previous aggregation. In a general equilibrium world, monopoly pricing for one product (even without externalities) can be socially offset to an efficient solution by the right degree of monopoly pricing for all other products. One may, with the right conditions, have a world in which industries have monopoly markups but there is a Pareto-efficient equilibrium. If, however, there is a competitive sector (such as the labour-leisure sector) then the monopoly welfare loss effects cannot be completely cancelled out (see Scherer, 1980). Furthermore, wasteful expenditures to secure market power can never be cancelled out by other such expenditures.
- (v) Final Thoughts. Given these potentials for bias, especially the aggregation biases which would affect all of the analyses, we are not sanguine about reaching a definitive measure. Although these potential biases leave considerable room for debate, we think that the approach used in our study sheds light on some biases in earlier studies, and illustrates a methodology for attaining more reliable estimates of social costs. It also yields insights into the value of competition both actual and potential.

### IV. SUMMARY AND CONCLUSION

One major deficiency of past studies of the deadweight loss attributable to monopoly pricing is the inability to disentangle actual and monopoly values. Consequently, it was impossible to assess separately the actual losses stemming from an oligopolistic industry structure and the potential welfare losses that might arise from a monopoly. It is our hope that the present study has contributed to an understanding of this problem, providing estimates for both actual

<sup>&</sup>lt;sup>1</sup> Conceptually, if m were indexed to I (rather than  $P_m$ ), this bias reduces  $P_m$  (lowering  $W_m$ ) and flattens the demand curve, enlarging the triangle between  $P_a$  (which is fixed if m is the index) and m (raising  $W_a$ ).

and monopoly deadweight losses, thus evaluating the benefits of existing levels of competition.

Our estimate of actual oligopoly deadweight loss – 2·9% of industry value of shipments – is considerably higher than Harberger's finding of 0·1% or 0·06%. Yet when compared to our estimate of potential monopoly deadweight loss of 11·6%, it would appear that manufacturing industries are closer to a competitive outcome than to an outright monopoly solution. It has become generally accepted that Harberger's study found a 'very small' welfare loss, while Kamerschen and Cowling and Mueller found 'large' welfare losses. It is our contention that in order to attain a better understanding of, and a proper perspective on welfare losses, the actual figures should be contrasted with the monopoly extreme as well as with the competitive outcome of zero deadweight loss.

Since our finding is that actual losses are substantially different from the potential monopoly welfare losses, one may well speculate on the reasons for this large divergence (aside from any statistical and other biases). Two possible answers may be that this is due to (a) natural market forces, or (b) strict antitrust enforcement. Which of the foregoing, with their weighty and differing policy implications, is the correct answer, we leave for future research.

Cornell University

Oklahoma State University

Date of receipt of final typescript: January 1984

#### APPENDIX: PCM DATA

PCM(t-1) comes from Harris (1973), who, in turn, adopted Collins and Preston's (1968) measures while supplementing his own estimates for industries missing from their sample. Collins and Preston started with [(Value added) – (payroll)]/(value of shipments). They then subtracted from the numerator supplemental employee benefits, the cost of repairs and maintenance (not included in payroll), rental payments, insurance, and property taxes. We made additional subtractions which include advertising costs, depreciation costs (based on the 1958 US Census of Manufactures), and a risk-free apportunity cost of capital (estimated to be 5 % for 1958 multiplied by the ratio (Fixed Depreciable Assets)/(Value of Shipments)).

Since total assets were not reported on a 4-digit SIC basis by the US Census we could only use fixed depreciable assets. However, in order to obtain a rough idea of what the results would have been with total assets, we used the following approximation technique. We estimated the average ratio of (total assets)/(fixed depreciable assets) for non-financial corporations in 1958. We then multiplied each industry's fixed depreciable assets by this ratio and adjusted the price-cost margins accordingly. The results obtained from re-estimation pointed to a 10% decline in the weighted average of  $W_a/VS_a$  and an 8% decline in  $W_m/VS_m$ . (The t values for these regressions were relatively insensitive to the

above change; the coefficients were slightly more significant in the *PCM* equation and a little weaker in the entry equation.)

PCM measures have been criticised by Liebowitz. Part of his criticism is that depreciation and advertising are not deducted. In our measure they are. Another criticism is that they do not correlate well with profits on sales, adjusted for opportunity cost on capital. In our work they did. Our PCM was correlated 0.49 with profits on sales and 0.59 with profits on equity calculated for roughly the same years. Unadjusted PCM correlated respectively at 0.55 and 0.63 with these measures. The two PCM measures correlated at 0.95 and the two accounting measures at 0.74.

#### REFERENCES

Baron, D. P. (1973). 'Limit pricing, potential entry, and barriers to entry.' American Economic Review, vol. 63 (September), pp. 666-74.

Bell, W. (1968). 'The effects of monopoly profits and wages on prices and consumers' surplus in U.S. manufacturing.' Western Economic Journal, vol. 16 (June), pp. 233-41.

Collins, N. and Preston, L. (1968). Concentration and Price-Cost Margins in Manufacturing Industries. Berkeley: University of California Press.

Comanor, W. and Wilson, T. (1967). 'Advertising, market structure and performance.' Review of Economics and Statistics, vol. 49 (November), pp. 423-40.

Cowling, K. and Mueller, D. (1978). 'The social costs of monopoly.' Economic Journal, vol. 88. (December), pp. 727–48.

—— (1981). 'The social costs of monopoly power revisited,' Economic Journal, vol. 91 (September), pp. 721-5.

Harberger, A. (1954). 'Monopoly and resource allocation.' American Economic Review, vol. 44 (May), pp. 73-87.

Harris, M. N. (1973). 'Entry, barriers to entry and limit pricing,' unpublished doctoral dissertation, Columbia University.

Kamien, M. and Schwartz, N. (1971). 'Limit pricing and uncertain entry.' *Econometrica*, vol. 39 (May), pp. 441-54.

Kamerschen, D. (1966). 'An estimation of the "welfare losses" from monopoly in the American economy.' Western Economic Journal, vol. 4 (Summer), pp. 221-36.

Liebowitz, S. J. (1982). 'What do census price-cost margins measure?' Journal of Law and Economics, vol. 25 (October), pp. 231-46.

Littlechild, S. C. (1981). 'Misleading calculations of the social cost of monopoly power.' Economic Journal, vol. 91 (June), pp. 348-63.

Masson, R. and Shaanan, J. (1982). 'Stochastic-dynamic limiting pricing: an empirical test.' Review of Economics and Statistics, vol. 64 (August), pp. 413-23.

Needham, D. (1978). The Economics of Industrial Structure Conduct and Performance. New York: St Martins Press.

Posner, R. (1975). 'The social costs of monopoly and regulation.' *Journal of Political Economy*, vol. 83 (August), pp. 807-27.

Scherer, F. M. (1980). Industrial Structure and Economic Performance. Chicago: Rand McNally.

Schwartzman, D. (1980). 'The burden of monopoly.' Journal of Political Economy, vol. 68 (December), pp. 627-30.

Shepherd, W. G. (1970). Market Power and Economic Welfare. New York: Random House.

Siegfried, J. J. and Tiemann, T. K. (1974). 'The welfare costs of monopoly: an interindustry analysis.' Economic Inquiry, vol. 12 (June), pp. 190-202.

Worcester, D. A. (1973). 'New estimates of the welfare loss to monopoly in the United States 1956–1969.' Southern Economic Journal, vol. 40 (October), pp. 234-46.

Zerbe, R. O. (1978). 'On Fieller's theorem and the general linear model.' American Statistician, vol. 32 (August), pp. 102-5.